MATH 8 (52001/52038) 2019

## Number

refers us to the
state or national standard.

## Priority Level

helps us prioritize time and interventions.

## STANDARDS/AW Learning Objectives

Standards give us broad expectations. AWLOs describe local teaching expectations and are what we teach to address the standards. are written, providing guidance for planning transformations. Boldfaced planning transformations. Boldraced and Social objectives are used to and Social objectives are used to support goal.

## THE NUMBER SYSTEM

## 8.NS. 1

Enhanced
Enhanced
Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually, and convert a decimal expansion which repeats eventually into a rational number.

| Classify a number as rational or irrational. | Surface |
| :--- | :--- | :--- |
| Convert numbers between decimals and fractions, including repeating decimals with denominators of 9. | Surface |

Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions; e.g., $\boldsymbol{\pi}^{\wedge} \mathbf{2}$.
Estimate irrational numbers on a number line by finding the two perfect squares that it lies between. For example, for the approximation of $x$, show that $x$ is between 8 and 9 and closer to 8 .

## EXPRESSIONS AND EQUATIONS

| Evaluate square roots of whole number perfect squares with solutions between 0 and 15. | Surface |
| :---: | :---: |
| Know that the square root of any non-perfect square is irrational. | Surface |
| Graph proportional relationships, interpreting its unit rate as the slope ( $\mathbf{m}$ ) of the graph. Compare two different proportional relationships represented in different ways. For example, compare a distance time graph to a distance-time equation to determine which of two moving objects has greater speed. |  |
| Graph proportional relationships. | Surface |
| Find the slope of a line from a graph, equation, table. | Surface |
| Compare the slope (rate of change) from two different representations. | Deep |
| Compare the slope (rate of change) from a real world example, such as comparing speeds from a time distance graph versus a time distance table. | Transfer |

Use square root and cube reet-symbols to represent solutions to equations of the form $x^{\wedge} 2=p$ and $x^{\wedge} \mathbf{3 - p}$; is a positive rational number. Evaluate square roots of whole number perfect squares with solutions between 0 and 15 and eube roets of whole number perfect cubes with solutions between 0 and 5 . Know that $\sqrt{2}$ is irrational.

| Auburn <br> Washburn | $A M O S$ | MATH 8 (52001/52038) | GRADE 8 |
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| 8.EE. 5 | Essential | Use similar triangles to explain why the slope ( m ) is the same between any two distinct points on a nonvertical line in the coordinate plane and extend to include the use of the slope formula (when given two coordinate points ( $\mathbf{x} 1, \mathrm{y} 1$ ) and ( $\mathrm{x} 2, \mathrm{y} 2$ )). Generate the equation $\mathrm{y}=\mathrm{mx}$ for a line through the origin (proportional) and the equation $\mathbf{y}=\mathrm{mx}+\mathrm{b}$ for a line with slope m intercepting the vertical $\mathbf{a x i s}$ at y -intercept b (not proportional when b $\neq 0$ ). |  |
|  |  | Find slope given two points. | Surface |
|  |  | Identify the y-intercept from table, graph, and equation. | Surface |
|  |  | Write slope as change in y over change in x and know that simplifying slope can represent equivalent fractions or similar triangles. | Deep |
|  |  | Write equations for real world situations with a non-zero y-intercept, such as headstarts in races or intial fees. | Transfer |
| 8.EE. 6 | Essential | Describe the relationship between the proportional relationship expressed in $\mathbf{y}=\mathbf{m x}$ and the nonproportional linear relationship $\mathbf{y}=\mathbf{m x}+\mathrm{b}$ as a result of a vertical translation. Note: be clear with students that all linear relationships have a constant rate of change (slope), but only the special case of proportional relationships (line that goes through the origin) continue to have a constant of proportionality. |  |
|  |  | Write a linear equations from graphs. | Surface |
|  |  | Describe how changing the $y$-intercept effects the line. | Deep |
| 8.EE. 7 | Mastery | Fluently (efficiently, accurately, and flexibly) solve one-step, two-step, and multi-step linear equations andinequalities in one variable, including situations with the same variable appearing on both sides of the equal sign. |  |
|  |  | Solve multi-step equations with distributive property, combining like terms, and variables on both sides. | Surface |
|  |  | Identify that an equation may contain one solution, no solution, and infinitely many solutions. | Surface |
|  |  | Recogninze that simplifying both sides of an equation can result in equivalent expressions meaning infinitely many solutions. | Deep |
|  |  | Write and solve equations using angle relationships. | Deep |
|  |  | Write and solve equations using real world situations such as comparing company pricing. | Transfer |
| FUNCTIONS |  |  |  |
| 8.F. 1 | Essential | Explain that a function is a rule that assigns to each input exactly one output. The graph of a function is the set of ordered pairs consisting of an input and the corresponding output. |  |
|  |  | Determine whether a graph is a function by using the vertical line test. | Surface |
|  |  | Define what a function is. | Surface |


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|  |  | Determine from a table or set of ordered pairs that each input(x) has only one output(y). | Surface |
| 8.F. 2 | Essential | Compare properties of two linear functions represented in a variety of ways (algebraically, graphically, numerically in tables, or by verbal descriptions). |  |
|  |  | Compare the slope (rate of change) from different representations. | Surface |
|  |  | Compare the y-intercepts from different representations. | Surface |
| 8.F. 3 | Enhanced | Interpret the equation $\mathrm{y}=\mathrm{mx}+\mathrm{b}$ as defining a linear function, whose graph is a straight line; give examples of functions that are not linear. |  |
|  |  | Explain that if a set of data does not have a contant rate of change then it is not linear. | Surface |
|  |  | Determine that a function is not linear if it does not fit the form $\mathrm{y}=\mathrm{mx}+\mathrm{b}$. | Surface |
|  |  | Determine that a function is not linear if the points or graph does not form a straight line. | Surface |
| 8.F. 4 | Essential | Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two ( $\mathbf{x}, \mathbf{y}$ ) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values. |  |
|  |  | Write an equation in $\mathrm{y}=\mathrm{mx}+\mathrm{b}$ from two points using graph, table, description, or formula. | Surface |
|  |  | Interpret the slope and the y -intercept from different representations. | Deep |
| 8.F. 5 | Essential | Describe qualitatively the functional relationship between two quantities by analyzing a graph; e.g., where the function is increasing or decreasing, linear, or nonlinear. Sketch a graph that exhibits the qualitative features of a function that has been described verbally. |  |
|  |  | Write a verbal description for two quantities given a graph. | Surface |
|  |  | Identify parts of graphs as increasing, decreasing, linear, or non-linear. | Surface |
|  |  | Construct a graph from a verbal description for two quantities. | Deep |
|  |  | Create a real-world graph based on a modeled situation. | Transfer |
|  |  | GEOMETRY |  |
| 8.G. 1 | Enhanced | Recognize angles as geometric shapes that are formed wherever two rays share a common endpoint, and understand concepts of angle measurement. |  |
|  |  | Recognize that an angle is made up by two rays sharing a common endpoint and degrees between 1 and 360. | Surface |
|  |  | Identify an angle as acute or obtuse. | Surface |



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|  |  | Create and solve real world problems using Pythagorean Theorem such as height of buildings and construction. | Transfer |
| 8.G.9 | Mastery | Apply the Pythagorean Theorem to find the distance between two points in a coordinate system. |  |
|  |  | Draw legs of right triangle to use Pythagorean Theorem to find the distance of a diagnal line. | Surface |
|  |  | Draw a line that is an irrational distance using Pythagorean Theorem. | Deep |
|  |  | Solve real-world problems to find distance between two points such as maps. | Transfer |
| STATISTICS AND PROBABILITY |  |  |  |
| 8.SP. 1 | Mastery | Construct and interpret scatter plots for bivariate measurement data to investigate patterns of association between two quantities. Describe patterns such as clustering, outliers, positive or negative association, linear association, and nonlinear association. |  |
|  |  | Identify patterns such as clustering, outliers, positive or negative association, linear association, and nonlinear association. | Surface |
|  |  | Interpret scatter plots for bivariate measurement data to investigate patterns of association between two quantities. | Deep |
|  |  | Use technology to construct and interpret scatter plots using real world data for bivariate measurement data to investigate patterns of association between two quantities. | Transfer |
| 8.SP. 2 | Essential | Know that straight lines are widely used to model relationships between two quantitative variables. For scatter plots that suggest a linear association, informally fit a straight line, and informally assess the model fit by judging the closeness of the data points to the line. |  |
|  |  | Draw a line of fit on a scatterplot. | Surface |
|  |  | Explain how well a line of fit matches the scatterplot. | Deep |
|  |  | Use technology to plot data on a scatterplot and assign a line of best fit. | Transfer |
| 8.SP. 3 | Essential | Use the equation of a linear model to solve problems in the context of bivariate measurement data, interpreting the slope and intercept. |  |
|  |  | Estimate the slope and y-intercept for a scatterplot with a linear association. | Surface |
|  |  | Explain the meaning of the slope and y-intercept for a scatterplot based on a real life situation such as the relationship between height and shoe size. | Deep |
|  |  | Use the linear model to make predictions for data values within and beyond the data set. | Transfer |

